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Lecti	ıre #15 of 20+	•	
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571		i	
		572	
Liquid-J	unction Potentials		
	Chapter 2		
572			
	(UDD ATTE	N 570	
	(UPDATED	<b>,</b> 100	
Q: What's in this set of lectures? A: B&F Chapter 2 main concepts:			
• "Section 2.1":	Salt; Activity; Underpotential deposition		
• Section 2.3:	Transference numbers; Liquid-junction potentials	,	
<ul> <li>Sections 2.2 &amp; 2.</li> </ul>	4. Donnan potentials, Membrane potentials; pH meter; Ion-selective electrodes	,	

Refresher... the equilibrium potential and the Nernst Equation (UPDATED)

$$O + ne^- \rightleftharpoons R$$

$$E = E^0 - \frac{RT}{nF} \ln \frac{a_R}{a_O} \stackrel{\text{activity of R}}{\longleftarrow} \text{activity of O}$$

the standard potential

(look it up in the back of your book or in the CRC table)

... the activity is the product of the activity coefficient and the concentration...
... divided by the standard-state concentration, which is (nearly) always 1 M...

$$E = E^0 - \frac{RT}{nF} \ln \frac{\gamma_R C_R / C_R^0}{\gamma_O C_O / C_O^0}$$

$$E = E^0 - \frac{RT}{nF} \ln \frac{\gamma_R}{\gamma_O} - \frac{RT}{nF} \ln \frac{C_R / C_R^0}{C_O / C_O^0}$$

574

Refresher... the equilibrium potential and the Nernst Equation (UPDATED)

$$E = E^{0} - \frac{RT}{nF} \ln \frac{\gamma_{R}}{\gamma_{O}} - \frac{RT}{nF} \ln \frac{C_{R}/C_{R}}{C_{O}/C_{R}}$$

$$E = E_0^{0\prime} - \frac{RT}{nF} \ln \frac{C_R / C_R^0}{C_O / C_O^0}$$

the *formal potential*... this depends on the identity and concentration of all ionizable species present in solution

575

However, (concentration) equilibrium "constants"...

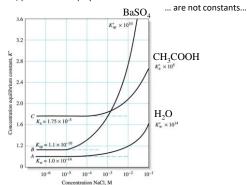


Fig. 10-1, p. 268 in Skoog & West

... let's focus on the solubility of BaSO<sub>4</sub>...

577

$$BaSO_4(s) \rightleftharpoons SO_4^{2-}(aq) + Ba^{2+}(aq) \qquad K_{sp} = \frac{A_{SO_4^{-2}}A_{Ba^{-2}}}{A_{BaSO_4}} \approx \frac{A_{SO_4^{-2}}A_{Ba^{-2}}}{A_{SO_4^{-2}}A_{Ba^{-2}}}$$

A (activity) = 1.0 for any pure solid compound in its standard state at room temperature

577

... let's focus on the solubility of BaSO<sub>4</sub>...

**(UPDATED)** 578

$$BaSO_{4}(s) \rightleftharpoons SO_{4}^{2-}(aq) + Ba^{2+}(aq) \qquad K_{sp} = \frac{A_{SO_{4}^{-2}}A_{Ba^{-2}}}{A_{BaSO_{4}}} \approx A_{SO_{4}^{-2}}A_{Ba^{-2}}$$

$$K_{sp} = \gamma_{SO_{4}^{-2}} \left[ SO_{4}^{-2} \right] \gamma_{Ba^{-2}} \left[ Ba^{+2} \right]$$
the activity coefficient for  $SO_{4}^{2-}$ 

(already divided by the standard-state concentration)

578

... let's focus on the solubility of BaSO<sub>4</sub>...

**(UPDATED)** 579

$$\begin{split} \mathrm{BaSO_4}(s) &\rightleftharpoons \mathrm{SO_4^{2-}}(aq) + \mathrm{Ba^{2+}}(aq) \quad K_{\mathrm{sp}} = \frac{A_{\mathrm{SO_4^{-2}}}A_{\mathrm{Ba^{+2}}}}{A_{\mathrm{BaSO_4}}} \approx A_{\mathrm{SO_4^{-2}}}A_{\mathrm{Ba^{+2}}} \\ K_{\mathrm{sp}} &= \gamma_{\mathrm{SO_4^{-2}}} \Big[\mathrm{SO_4^{-2}}\Big] \gamma_{\mathrm{Ba^{+2}}} \Big[\mathrm{Ba^{+2}}\Big] \\ &\text{the } \underbrace{thermodynamic\ equilibrium\ constant} \end{split}$$

$$K_{sp}' = \frac{K_{sp}}{\gamma_{SO_4^{-2}}\gamma_{Ba^{+2}}} = [SO_4^{-2}][Ba^{+2}]$$

(with each concentration already divided by its standard-state concentration)

 $\dots$  the greater the charge on an ion, the greater the  $\emph{depression}$  of its activity coefficient by an inert salt...

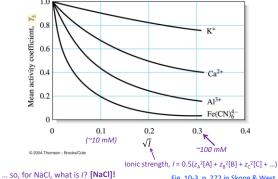


Fig. 10-3, p. 272 in Skoog & West

580

580

... the greater the charge on an ion, the greater the *depression* of its activity coefficient by an inert salt... but at high concentration, this trend flips!

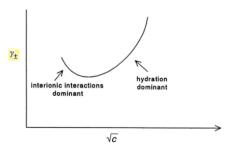


Fig. 2.18. Schematic of the observed trend of  $y_\pm$  versus  $\sqrt{c}$  curve for salts showing a minimum.

Bockris & Reddy, Fig. 2.18

581

... let's focus on the solubility of BaSO<sub>4</sub>...

**(UPDATED)** 582

$$BaSO_{4}(s) \rightleftharpoons SO_{4}^{2-}(aq) + Ba^{2+}(aq) \qquad K_{sp} = \frac{A_{SO_{4}^{-2}}A_{Ba^{-2}}}{A_{BaSO_{4}}} \approx A_{SO_{4}^{-2}}A_{Ba^{-2}}$$

$$K_{sp} = \gamma_{SO_{4}^{-2}} \left[ SO_{4}^{-2} \right] \gamma_{Ba^{+2}} \left[ Ba^{+2} \right]$$

$$K_{sp}' = \frac{K_{sp}}{\gamma_{SO_{4}^{-2}}N_{Ba^{+2}}} = \left[ SO_{4}^{-2} \right] \left[ Ba^{+2} \right]$$

... but what are these values? That is, how do we calculate them... ... and why do they depend on the concentration of salt?

(with each concentration already divided by its standard-state concentration)

... in all three of these cases, K' > K, at not too large of an ionic strength 583

less ionic more ionic

BaSO<sub>4</sub>(s) 
$$\rightleftharpoons$$
 SO<sub>4</sub><sup>2-</sup>(aq) + Ba<sup>2+</sup>(aq)

 $K_{sp} = \frac{A_{SO_4^{-2}}A_{Ba^{+2}}}{A_{BaSO_4}} \approx A_{SO_4^{-2}}A_{Ba^{+2}}$ 
 $2H_2O \rightleftharpoons H_3O^+ + OH^ K_w = A_{H_3O^+}A_{OH^-}$ 
 $CH_3COOH + H_2O \rightleftharpoons H_3O^+ + CH_3COO^ K_a = \frac{A_{H_3O^+}A_{CH_3COOH}}{A_{CH_3COOH}}$ 

general observation: K' always shifts (from K) to favor the **most ionic state** of the equilibrium

583

Refresher... the equilibrium potential and the Nernst Equation (UPDATED)

$$E = E^{0\prime} - \frac{RT}{nF} \ln \frac{C_R / C_R^0}{C_O / C_O^0}$$

 $\underline{Question}$ : How, qualitatively, is the equilibrium potential for Fe²+/Fe³+ affected by the addition of a supporting electrolyte, KF, at a concentration of 0.1 M?

$$Fe^{3+} + 1e^{-} \rightleftharpoons Fe^{2+}$$

$$E = E^{0} - \frac{RT}{nF} \ln \frac{\gamma_R}{\gamma_O} - \frac{RT}{nF} \ln \frac{C_R / C_R^{0}}{C_O / C_O^{0}}$$

... now,  $\gamma_{\text{Fe3+}} < \gamma_{\text{Fe2+}}$ , agreed?...

584

Debye–Hückel equation (in water at 25 °C)  $-\log \gamma_x = \frac{0.51 z_x^2 \sqrt{l}}{1 + 3.3 \alpha_x \sqrt{l}}$ 

 $\alpha$  = effective diameter of hydrated ion (nm)

	Activity Coefficient at Indicated Ionic Strength					
Ion	$\alpha_X$ , nm	0.001	0.005	0.01	0.05	0.1
H <sub>3</sub> O+	0.9	0.967	0.934	0.913	0.85	0.83
Li+, C <sub>6</sub> H <sub>5</sub> COO-	0.6	0.966	0.930	0.907	0.83	0.80
Na+, IO <sub>5</sub> , HSO <sub>5</sub> , HCO <sub>5</sub> , H <sub>2</sub> PO <sub>4</sub> , H <sub>2</sub> AsO <sub>4</sub> , OAc <sup>-</sup>	0.4-0.45	0.965	0.927	0.902	0.82	0.77
OH-, F-, SCN-, HS-, CIO <sub>3</sub> -, CIO <sub>4</sub> -, BrO <sub>3</sub> -, IO <sub>3</sub> -, MnO <sub>4</sub> -	0.35	0.965	0.926	0.900	0.81	0.76
K+, CI-, Br-, I-, CN-, NO <sub>2</sub> , NO <sub>3</sub> , HCOO-	0.3	0.965	0.925	0.899	0.81	0.75
Rb+, Cs+, TI+, Ag+, NH2	0.25	0.965	0.925	0.897	0.80	0.75
Mg <sup>2+</sup> , Be <sup>2+</sup>	0.8	0.872	0.756	0.690	0.52	0.44
Ca2+, Cu2+, Zn2+, Sn2+, Mn2+, Fe2+) Ni2+, Co2+, Phthalate2-	0.6	0.870	0.748	0.676	0.48	0.40
Sr <sup>2+</sup> , Ba <sup>2+</sup> , Cd <sup>2+</sup> , Hg <sup>2+</sup> , S <sup>2-</sup>	0.5	0.869	0.743	0.668	0.46	0.38
Pb2+, CO2-, SO2-, C <sub>2</sub> O2-	0.45	0.868	0.741	0.665	0.45	0.36
Hg2+, SO2-, S2O2-, Cr2-, HPO2-	0.40	0.867	0.738	0.661	0.44	0.35
Al <sup>3+</sup> , (Fe <sup>3+</sup> ) Cr <sup>3+</sup> , La <sup>3+</sup> , Ce <sup>3+</sup>	0.9	0.737	0.540	0.443	0.24	0.18
PO <sub>4</sub> - , Fe(CN) <sub>4</sub> -	0.4	0.726	0.505	0.394	0.16	0.095
Th <sup>4+</sup> , Zr <sup>4+</sup> , Ce <sup>4+</sup> , Sn <sup>4+</sup>	1.1	0.587	0.348	0.252	0.10	0.063
Fe(CN)\$-	0.5	0.569	0.305	0.200	0.047	0.020

Table 10-2, p. 274 in Skoog & West

Debye-Hückel equation

586

(in water at 25 °C)

$$-\log \gamma_x = \frac{0.51 z_x^2 \sqrt{I}}{1 + 3.3 \alpha_x \sqrt{I}}$$

 $\alpha$  = effective diameter of hydrated ion (nm)

 $\dots$  the derivation is long... but the main idea is that you balance thermal motion (Boltzmann) with electrostatics (Poisson/Gauss)...



Peter Joseph William Debve



(1896-1980)

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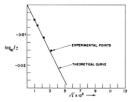
Debye-Hückel equation

587

(in water at 25 °C) 
$$-\log \gamma_x = \frac{0.51z_x^2\sqrt{l}}{1+3.3\alpha_x\sqrt{l}}$$

 $\alpha = effective \; diameter \; of \; hydrated \; ion \; (nm)$ 

... the "limiting law" is when  $I \rightarrow 0$  (< 10 mM)...



... and then the Debye-Hückel equation simplifies to just the numerator:

$$-\log \gamma_x = 0.51 z_x^2 \sqrt{I}$$

Fig. 3.23. The comparison of the experimentally observed mean activity coefficients of HCl and those that are calculated from the Debye–Hückel limiting

Bockris & Reddy, Fig. 3.23

587

 $\underline{Ouestion} : How, qualitatively, is the equilibrium potential for Fe^{2+}/Fa^{3588} \\ affected by the addition of a supporting electrolyte, KF, at (appeared). The experimental electrolyte is a supporting electrolyte of the end of the electrolyte is a supporting electrolyte. The end of the electrolyte is a supporting electrolyte is a supporting electrolyte in the electrolyte is a supporting electrolyte. The electrolyte is a supporting electrolyte is a supporting electrolyte in the electrolyte in the electrolyte is a supporting electrolyte in the electrolyte is a supporting electrolyte in the electrolyte in$ concentration of 0.1 M?

$$Fe^{3+} + 1e^{-} \rightleftharpoons Fe^{2+}$$

$$E = E^{0} - \frac{RT}{nF} \ln \frac{\gamma_R}{\gamma_O} - \frac{RT}{nF} \ln \frac{C_R/C_R^{0}}{C_O/C_O^{0}}$$

... now,  $\gamma_{\text{Fe3+}}$  <  $\gamma_{\text{Fe2+}}$ , agreed?... So...

$$rac{\gamma_R}{\gamma_O} > 1.0$$
 and  $\ln rac{\gamma_R}{\gamma_O} > 0$ 

... and we conclude that in the presence of added salt... you tell me!

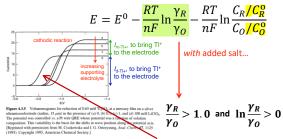
<u>Question</u>: How, qualitatively, is the equilibrium potential for  $Fe^{2+}/Fe^{2589}$  affected by the addition of a supporting electrolyte, KF, at a concentration of 0.1 M?

ANSWER: E<sup>01</sup> shifts to more <u>negative</u> potentials

589

Question: What if the redox species were positive/neutral charged, <sup>590</sup> like TI<sup>+/0</sup>, and we increased the concentration of supporting electrolyte to ~0.1 M?

$$TI^+ + 1e^- \rightleftharpoons TI^0$$



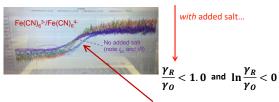
ANSWER: E<sup>01</sup> shifts to more <u>negative</u> potentials (which are more positive in TX!)

590

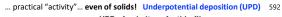
Question: What if the redox species were negatively charged, like  $[Fe^{III}(CN)_6]^{3-}/[Fe^{II}(CN)_6]^{4-}$ , and we increased the concentration of supporting electrolyte to  $\sim 0.1 \, M$ ? (FROM LAB!)

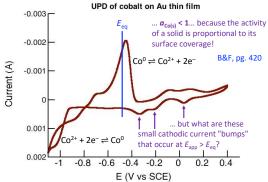
$$[\mathsf{Fe}^{|||}]^{3-} + 1e^{-} \rightleftharpoons [\mathsf{Fe}^{||}]^{4-}$$

$$E = E^{0} - \frac{RT}{nF} \ln \frac{\gamma_{R}}{\gamma_{O}} - \frac{RT}{nF} \ln \frac{C_{R}/C_{R}^{0}}{C_{O}/C_{O}^{0}}$$



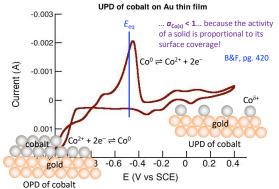
ANSWER: E01 shifts to more positive potentials





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## ... practical "activity"... even of solids! Underpotential deposition (UPD) 593



Mendoza-Huizar, Robles, & Palomar-Pardavé, J. Electroanal. Chem., 2003, 545, 39

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## Q: What's in this set of lectures?

A: B&F Chapter 2 main concepts:

- "Section 2.1": Salt; Activity; Underpotential deposition
- Section 2.3: Transference numbers; Liquid-junction potentials
- Sections 2.2 & 2.4: Donnan potentials; Membrane potentials;
   pH meter; Ion-selective electrodes

Now on to two general  $\underline{\text{liquid junctions}}$  that we care about (the most)...

an SCE





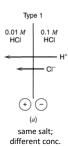


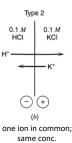
595

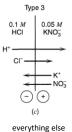
... liquid junctions:

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when two ionic solutions are separated across an interface that prevents bulk mixing of the ions, but has ionic permeability, a potential (drop) develops called the liquid junction potential.





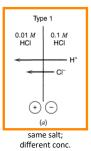


Bard & Faulkner, 2<sup>nd</sup> Ed., Wiley, 2001, Figure 2.3.2

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... example "1": • starting at the side with larger ion concentration  $^{\phantom{0}597}$ 

the ion the with larger mobility will impart its charge to the opposite side of the junction



conceptually, let's think about a condition in the limit where  $t_{\rm H+} \rightarrow$  1 (say  $t_{\rm H+} \approx 0.9$ )...

... as H<sup>+</sup> diffuses down its concentration gradient, an electrostatic force is exerted on Cl<sup>-</sup> to pull it along (at a larger flux) while at the same time slowing down transport of H<sup>+</sup>

... this happens until  $t_{\rm i}$ —effective = 0.5 for both H\* and Cl-, and at which time the system has attained steady-state mass transport and has generated a maximum liquid-junction potential.

... FYI, in semiconductor physics this same process results in a <u>Dember potential</u>... and the transport process is called <u>ambipolar diffusion</u>

Bard & Faulkner, 2<sup>nd</sup> Ed., Wiley, 2001, Figure 2.3.2

Recall that transport number, ti, (or transference number) is based on ...

$$u_{\rm i} = \frac{v}{\rm g} = \frac{|z_{\rm i}|e}{6\pi\eta r} \quad {\rm units:\,cm^2/(s\,V)} \label{eq:ui}$$
 (Stokes' law)

... and that the ionic conductivity,  $\kappa$  or  $\sigma$ , is defined as...

$$\kappa = F \sum_{\mathbf{i}} |z_{\mathbf{i}}| u_{\mathbf{i}} C_{\mathbf{i}}$$
 units: S/cm or 1/( $\Omega$  cm)

 $\dots$  so  $t_i$  is the fraction of the solution conductivity attributable to ion "i"

$$t_{i} = \frac{|z_{i}|u_{i}C_{i}}{\sum_{j}|z_{j}|u_{j}C}$$

The Kohlrausch law (empirical) and Debye-Hückel-Onsager equation Debye-Huckel-Unsager equation (theoretical) predict that the molar conductivity is proportional to the square root of the salt concentration  $\Lambda \ \alpha \ (C)^{1/2} \qquad \qquad \begin{array}{c} \text{Friedrich Wilhelm Georg Kohlausch} \\ \text{(1840-1910)} \end{array}$ 



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598

Recall that transport number, ti, (or transference number) is based on ...

$$u_{\rm i} = \frac{v}{\rm g} = \frac{|z_{\rm i}|e}{6\pi\eta r} \quad {\rm units:\,cm^2/(s\,V)} \label{eq:ui}$$
 (Stokes' law)

... and that the ionic conductivity,  $\kappa$  or  $\sigma$ , is defined as...

$$\kappa = F \sum_{\mathbf{i}} |z_{\mathbf{i}}| u_{\mathbf{i}} C_{\mathbf{i}}$$
 units: S/cm or 1/( $\Omega$  cm)

 $\dots$  so  $t_i$  is the fraction of the solution conductivity attributable to ion "i"

$$t_{i} = \frac{|z_{i}|u_{i}C_{i}}{\sum_{j}|z_{j}|u_{j}C_{j}}$$

The Kohlrausch law (empirical) and P-Chemist & Physicist Debye-Hückel-Onsager equation (theoretical) predict that the molar conductivity is proportional to the square root of the salt concentration





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TABLE 2.3.2 Ionic Properties at Infinite 600 "equivalent' Dilution in Aqueous Solutions at 25°C molar (ionic) conductivity  $\rightarrow \lambda_0$ , cm<sup>2</sup>  $\Omega^{-1}$  equiv<sup>-1a</sup> u, cm<sup>2</sup> sec<sup>-1</sup> V<sup>-1b</sup> Ion H, 349.82  $3.625 \times 10^{-3}$ 7.619 × 10 73.52 Na<sup>+</sup>  $5.193 \times 10^{-4}$ 50.11  $4.010 \times 10^{-4}$ 38.69 NH<sub>4</sub> 73.4  $6.166 \times 10^{-4}$ 59.50  $2.05 \times 10^{-3}$ OH 198 76.34 Br 78.4 8.13 × 10 76.85 7.96 × 10<sup>-4</sup>  $7.404 \times 10^{-4}$ NO<sub>3</sub> 71.44  $4.24 \times 10^{-4}$   $7.05 \times 10^{-4}$ .. and recall the OAc 40.9 Einstein- $8.27 \times 10^{-4}$ ½SO<sub>4</sub><sup>2</sup>-HCO<sub>3</sub> 79.8 Smoluchowski 44.48  $4.610 \times 10^{-4}$ equation to 101.0 calculate D<sub>i</sub>,  $1.145 \times 10^{-3}$ 1Fe(CN)6 110.5 From D. A. MacInnes, "The Principles of Electrochemistry,"  $\mu_i = \frac{|z_i| FD_i}{RT}$ Dover, New York, 1961, p. 342

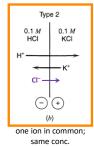
Dover, New York, 1961, p. 342 <sup>b</sup>Calculated from  $\lambda_0$ .

... example "2":

- compare dissimilar ions (cations or anions)
- the ion with the larger mobility will impart its charge to the opposite side of the junction

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- ... the sign of the liquid-junction potential is obvious for Types 1 and 2 (but not Type 3) based on the mobilities of the individual ions...
- ... and so when in doubt, think logically about the sign of the potential to verify answers...
- ... and yes, Cl<sup>-</sup> will migrate/drift based on the electric potential formed by cation transport

Bard & Faulkner, 2nd Ed., Wiley, 2001, Figure 2.3.2

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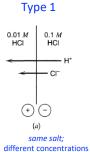
TABLE 2.3.2 Ionic Properties at Infinite Dilution in Aqueous Solutions at 25°C

Ion	$\lambda_0$ , cm <sup>2</sup> $\Omega^{-1}$ equiv <sup>-1a</sup>	u, cm <sup>2</sup> sec <sup>-1</sup> V <sup>-1b</sup>
$H^+$	349.82	$3.625 \times 10^{-3}$
K <sup>+</sup>	73.52	$7.619 \times 10^{-4}$
Na <sup>⊤</sup>	50.11	$5.193 \times 10^{-4}$
Li <sup>+</sup>	38.69	$4.010 \times 10^{-4}$
$NH_4^+$	73.4	$7.61 \times 10^{-4}$
$\frac{1}{2}$ Ca <sup>2+</sup>	59.50	$6.166 \times 10^{-4}$
OH-	198	$2.05 \times 10^{-3}$
Cl <sup>-</sup>	76.34	$7.912 \times 10^{-4}$
Br <sup>-</sup>	78.4	$8.13 \times 10^{-4}$
I-	76.85	$7.96 \times 10^{-4}$
$NO_3^-$	71.44	$7.404 \times 10^{-4}$
OAc <sup>-</sup>	40.9	$4.24 \times 10^{-4}$
$ClO_4^-$	68.0	$7.05 \times 10^{-4}$
$\frac{1}{2}SO_4^{2-}$	79.8	$8.27 \times 10^{-4}$
$HCO_3^-$	44.48	$4.610 \times 10^{-4}$
${}_{3}^{1}\text{Fe}(\text{CN})_{6}^{3}$	101.0	$1.047 \times 10^{-3}$
1/4Fe(CN)6-	110.5	$1.145 \times 10^{-3}$

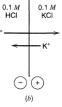
 $^a$  From D. A. MacInnes, "The Principles of Electrochemistry," Dover, New York, 1961, p. 342  $^b$  Calculated from  $\lambda_0$ 

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we use  $t_i$  values, which are based on **kinetic transport** to determine the liquid-junction potential (for derivations, see B&F, pp. 70-72)...

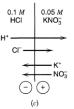


Type 2



same cation or anion; different counter ion; same concentration

## Type 3



no common ions, and/or one common ion; different concs

we use ti values, which are based on kinetic transport to determine 604 the liquid-junction potential (for derivations, see B&F, pp. 70 - 72)...

the liquid-junction potential (for derivations, see B&F, pp. 70 – 72)...

Type 1 
$$E_{\rm j}=(\phi^{\beta}-\phi^{\alpha})=(t_+-t_-)\frac{RT}{F}\ln\frac{a_{\rm j}^{(\alpha)}}{a_{\rm j}^{(\beta)}}$$
 ... use the activity of the entire salt

... use the conductivity due to <u>all ions</u>, even the common one Type 2

(with a few assumptions, pg. 72) ... sign depends on the charge of the dissimilar ion:

(+) when cations are dissimilar, and (-) when anions are dissimilar

Type 3 
$$E_{j} = \frac{\sum_{i} \frac{|z_{i}| u_{i}}{z_{i}} [C_{i}(\beta) - C_{i}(\alpha)]}{\sum_{i} |z_{i}| u_{i} [C_{i}(\beta) - C_{i}(\alpha)]} \frac{RT}{F} \ln \frac{\sum_{i} |z_{i}| u_{i} C_{i}(\alpha)}{\sum_{i} |z_{i}| u_{i} C_{i}(\beta)}$$
the Henderson Fa. (with a few assumptions, pg. 72)

... as written, these equations calculate  $E_i$  at  $\beta$  vs  $\alpha$ 

604

example: B&F Problem 2.14d

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Calculate E<sub>i</sub> for NaNO<sub>3</sub> (0.10 M) | NaOH (0.10M)

- 1. What Type? Type 2
- 2. Polarity?

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TABLE 2.3.2 Ionic Properties at Infinite

Ion	$\lambda_0$ , cm <sup>2</sup> $\Omega^{-1}$ equiv <sup>-1a</sup>	$u$ , cm <sup>2</sup> sec <sup>-1</sup> V <sup>-1<math>\ell</math></sup>
H <sup>+</sup>	349.82	$3.625 \times 10^{-3}$
K <sup>+</sup>	73.52	$7.619 \times 10^{-4}$
Na <sup>+</sup>	50.11	$5.193 \times 10^{-4}$
Li <sup>+</sup>	38.69	$4.010 \times 10^{-4}$
$NH_4^+$	73.4	$7.61 \times 10^{-4}$
½Ca <sup>2+</sup>	59.50	$6.166 \times 10^{-4}$
OH-	198	$2.05 \times 10^{-3}$
Cl-	76.34	$7.912 \times 10^{-4}$
Br <sup>-</sup>	78.4	$8.13 \times 10^{-4}$
Ι-	76.85	$7.96 \times 10^{-4}$
$NO_3^-$	71.44	$7.404 \times 10^{-4}$
OAc_	40.9	$4.24 \times 10^{-4}$
ClO <sub>4</sub>	68.0	$7.05 \times 10^{-4}$
$\frac{1}{2}SO_4^{2-}$	79.8	$8.27 \times 10^{-4}$
$HCO_3^-$	44.48	$4.610 \times 10^{-4}$
${}_{3}^{1}\text{Fe}(CN)_{6}^{3}$	101.0	$1.047 \times 10^{-3}$
1/4Fe(CN)6-	110.5	$1.145 \times 10^{-3}$

 $^{o}$  From D. A. MacInnes, "The Principles of Electrochemistry," Dover, New York, 1961, p. 342  $^{b}$  Calculated from  $\lambda_{0}$  .

example: B&F Problem 2.14d

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Calculate E<sub>i</sub> for NaNO<sub>3</sub> (0.10 M) | NaOH (0.10M) α|β

- 1. What Type? Type 2
- 2. Polarity? Polarity should be clear... compare mobilities...  $\mu_{\rm OH-}$  is larger... ... so NaNO<sub>3</sub> side will be (–)... and so  $\beta$  vs  $\alpha$  will be (+)
- 3. Calculate it:

$$E_{j} = -\frac{RT}{F} \ln \frac{\sum_{i} |\mathbf{z}_{i}| \mu_{i} C_{i}(\alpha)}{\sum_{i} |\mathbf{z}_{i}| \mu_{i} C_{i}(\beta)} \dots (-) \text{ due to anions moving}$$

$$E_{j} = -0.05916 \log \left( \frac{\mu_{\text{NO}_{3}}^{i} + \mu_{\text{Na}}^{+}}{\mu_{\text{OH}^{-}} + \mu_{\text{Na}}^{+}} \right) \longleftarrow \text{as predicted, a (+) LJ potential correlates with the compartment in the denominator, } \beta,$$

$$E_j = -0.05916 \log \left( \frac{7.404 + 5.913}{20.5 + 5.913} \right) = 0.0176 \text{ V} = \frac{+17.6 \text{ mV}}{\text{mV}}$$
... a rather large  $E_i$  (at  $\beta$  vs  $\alpha$ )!

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... so, why do trained electrochemists prefer to

use saturated KCI (or KNO<sub>3</sub>) as the salt to fill reference electrodes?

... similar mobilities and thus, similar  $t_i$ 's and thus,...

... vanishingly small LJ potentials!

TABLE 2.3.2 Ionic Properties at Infinite Dilution in Aqueous Solutions at 25°C

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Ion	$\lambda_0$ , cm <sup>2</sup> $\Omega^{-1}$ equiv <sup>-1a</sup>	u, cm <sup>2</sup> sec <sup>-1</sup> V <sup>-1b</sup>
H <sup>+</sup>	349.82	$3.625 \times 10^{-3}$
K <sup>+</sup>	73.52	$7.619 \times 10^{-4}$
Na '	50.11	5.193 × 10 <sup>-4</sup>
Li <sup>+</sup>	38.69	$4.010 \times 10^{-4}$
$NH_4^+$	73.4	$7.61 \times 10^{-4}$
$\frac{1}{2}$ Ca <sup>2+</sup>	59.50	$6.166 \times 10^{-4}$
OH-	198	$2.05 \times 10^{-3}$
Cl <sup>-</sup>	76.34	$7.912 \times 10^{-4}$
Br <sup>-</sup>	78.4	8.13 × 10 <sup>-4</sup>
I-	76.85	$7.96 \times 10^{-4}$
$NO_3^-$	71.44	$7.404 \times 10^{-4}$
OAc	40.9	4.24 × 10 <sup>-4</sup>
ClO <sub>4</sub>	68.0	$7.05 \times 10^{-4}$
$\frac{1}{2}SO_4^{2-}$	79.8	$8.27 \times 10^{-4}$
$HCO_3^-$	44.48	$4.610 \times 10^{-4}$
$\frac{1}{3}$ Fe(CN) $_{6}^{3}$	101.0	$1.047 \times 10^{-3}$
<sup>1</sup> / <sub>4</sub> Fe(CN) <sub>6</sub> <sup>4-</sup>	110.5	$1.145 \times 10^{-3}$

 $^a$  From D. A. MacInnes, "The Principles of Electrochemistry," Dover, New York, 1961, p. 342  $^b$  Calculated from  $\lambda_0$